

# Shadow Banking and Systemic Risk

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# Shadow Banking and the 2007-2008 Crisis

- Near consensus that the shadow banking sector played a key role in the genesis and transmission of the crisis
- Pooling and tranching of risky mortgages, financing of MBS with commercial paper, etc., caused the financial sector to grow and eventually led to its demise
- But what caused the system to be so fragile?

# Liquidity View

- Fragility was due to short-term financing. Diamond Dybvig type of run (Gorton and Metrick)
  - A small fundamental shock caused a large crisis due to runs and adverse selection
- Merits:
  - Summer of 2007: news of relatively small losses in subprime, dry up of ABCP
  - Success of the FED in calming markets with liquidity provision
- Problems: Events of 2008, the real crisis
  - Here bank losses were large, insolvency threat for highly leveraged institutions
  - Relatively inexpensive liquidity provisions was no longer enough

# IMF Updates on Bank Losses

- October of 2007: projected \$200 billion of total losses for ABS holders
- March of 2008: projected \$720 billion of losses in securities, of which about half accrue to banks, about \$200 billion to US banks
  - See also Greenlaw et al. (2008)
- October of 2008: \$980 billion total losses, \$500 of which for banks
  - Write down of bank loans: \$300 billions
- April 2009: total write down of \$1.06 trillions on loans, \$1.64 on securities
- These are very large shocks for highly levered institutions

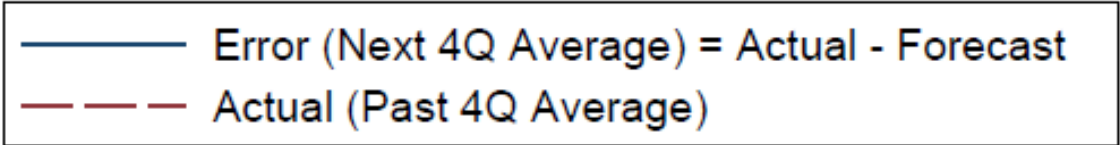
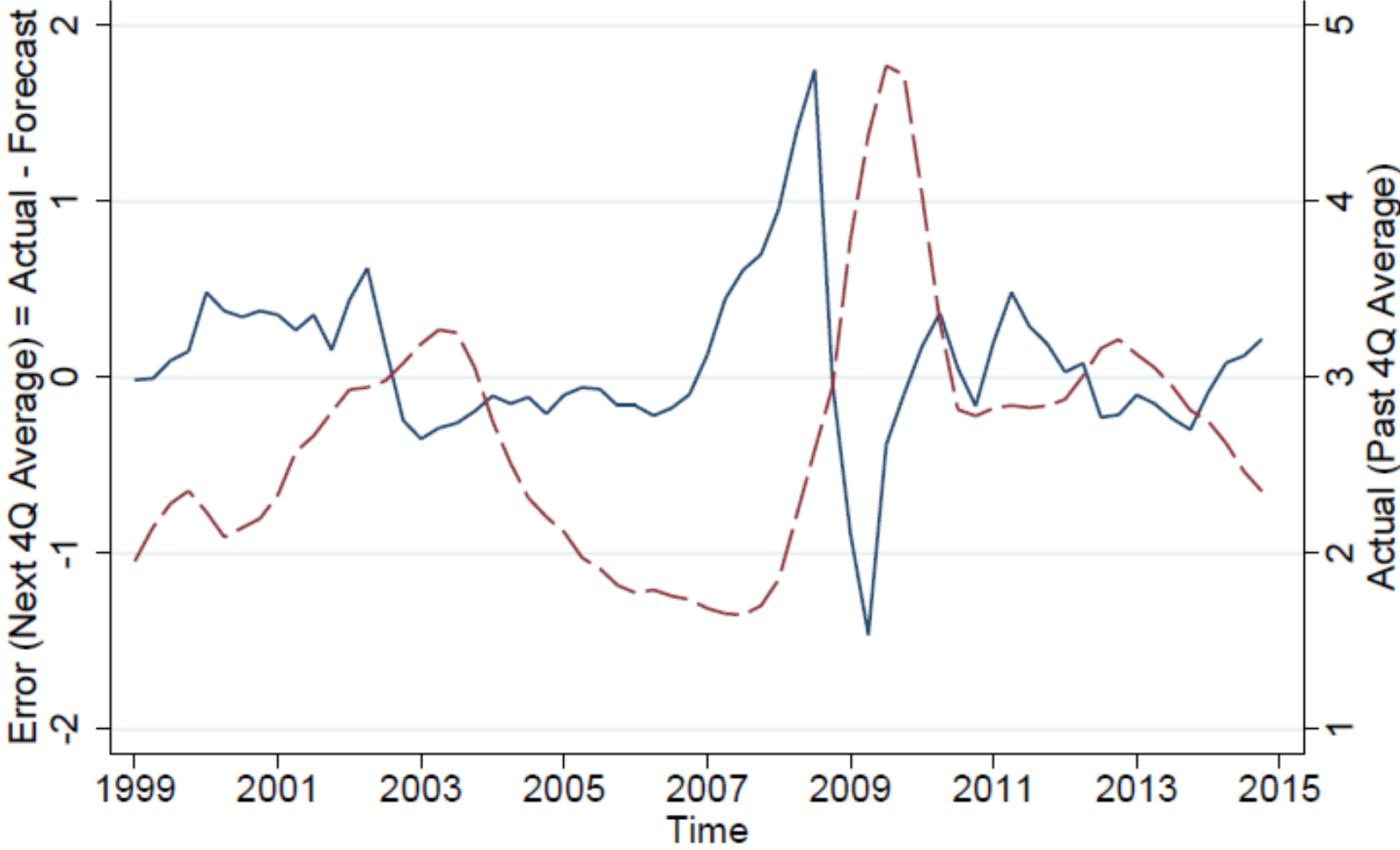
# Errors in Expectations

- Before 2007, but also between 2007 and 2008, markets did not seem to be aware of the possibility of a large negative shock
- Coval Jurek and Stafford (2009, 2010): investment banks and rating agencies used incorrect models, neglecting the systematic component in the risks of individual mortgages
- Cheng, Raina and Xiong (2014): securitization specialists at bought homes in the mid 2000s and suffered large losses from the collapse

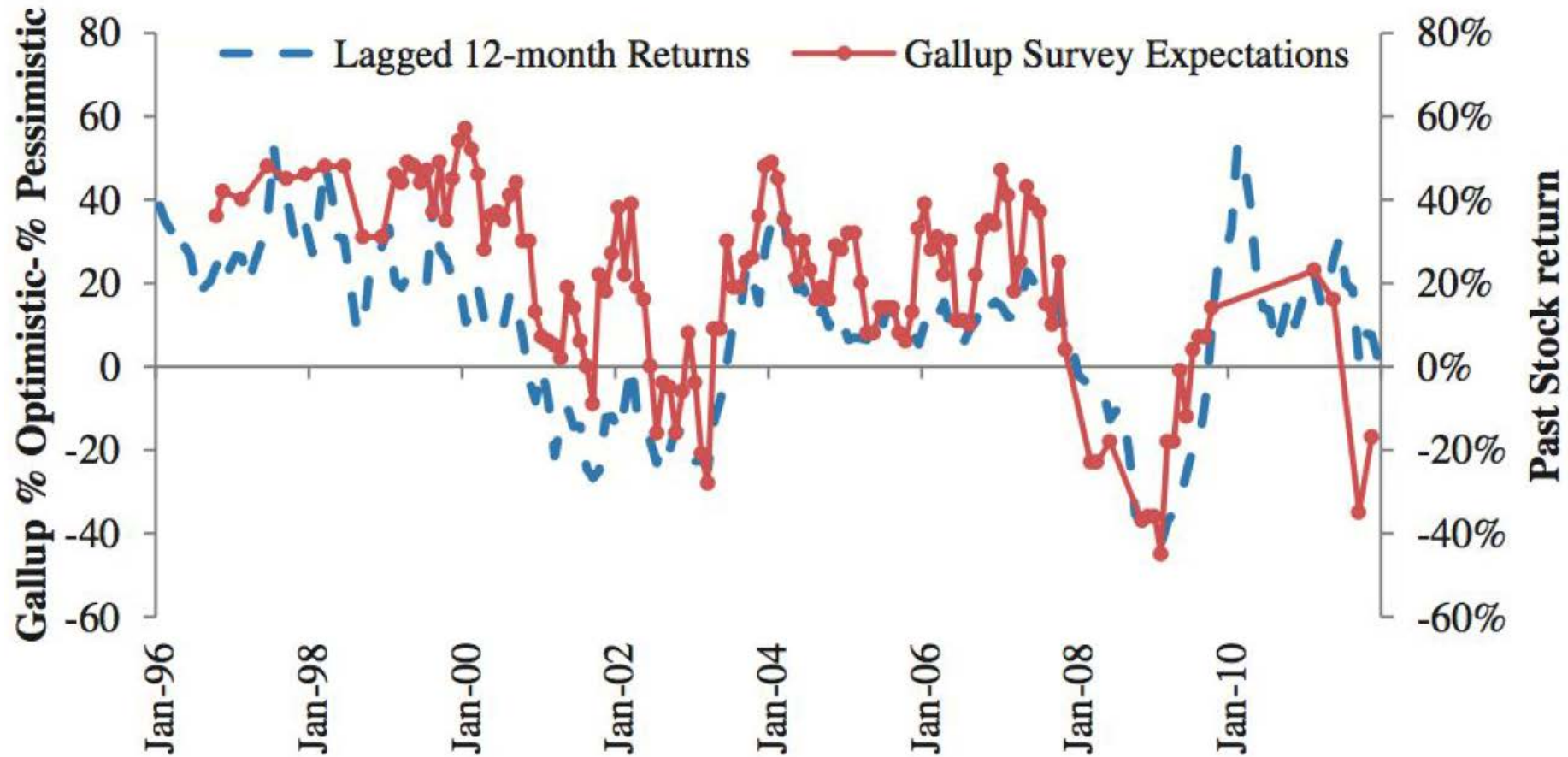
# Gerardi, Lehnert, Sherlund, Willen: Five Scenarios Considered by Analysts in 2005

- an *aggressive* scenario, in which HPA is 11 percent over the life of the pool (with an assigned probability of 15 percent)
- a *modestly aggressive* scenario, with 8 percent HPA over the life of the pool (15 percent)
- a *base* scenario, in which HPA slows to 5 percent by the end of 2005 (50 percent)
- a *pessimistic* scenario, with 0 percent HPA for the next three years and 5 percent HPA thereafter (15 percent), and
- a *meltdown* scenario, with -5 percent HPA for the next three years and 5 percent HPA thereafter (5 percent).

# Credit Spread forecasts (Blue Chip)

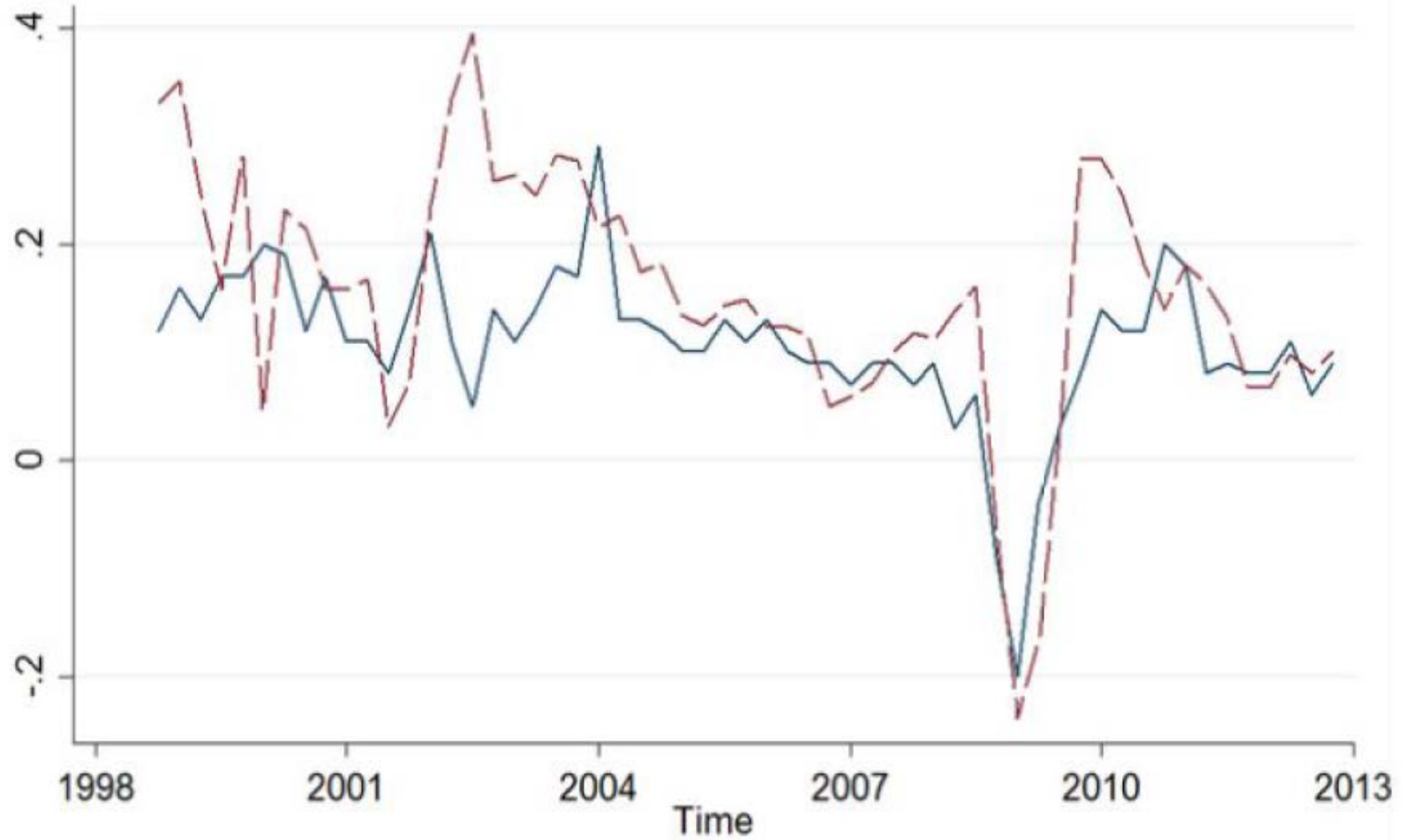


# Expectations of Stock Returns (Gallup)





# Expectations of Corporate Earnings Growth



— CFO Expectations of Next 12m Earnings Growth  
- - Analyst Expectations of Next 12m Earnings Growth

# Errors in Expectations

- After the liquidity problems in the summer of 2007, market players were still quite optimistic about GDP growth also
  - SPF consensus GDP growth remains positive in the summer of 2007 and remains positive until the summer of 2008
  - FED real growth forecasts stay positive until the third quarter of 2008
- It is hard to believe that at the time most market participants had figured out the existential threat to the banking sector and the economy

# A Neglected Risk Account

- I will now outline an account of financial fragility based on the idea that markets neglect the risk of large, unlikely, bank losses
  - Gennaioli, Shleifer and Vishny (2012, 2013)
- Centrality of expectational errors for thinking not only about the crisis, but about financial instability in general
  - Greenwood and Hanson (2013), Stein et al. (2017), Baron and Xiong (2017), Mian and Sufi (2017), Bordalo, Gennaioli and Shleifer (2017)

# Model Setup

- Two periods:  $t = 0, 1$ 
  - Assume away short term debt problems
- Two types of agents:
  - Intermediaries: they own a stochastic and collateralizable cash flow that repays at  $t = 1$ . They can issue debt against it
  - Investors: they are patient, they wish to buy debt, but have a strong preference for safe debt

# Intermediaries and Investors

- Intermediaries

- Risk neutral, discount future profits:  $C_{0,i} + \beta_l C_{1,i}$
- Stochastic cash flow  $\tilde{X} \geq 0$  distributed according to cdf  $f(\tilde{X})$

- Investors

- Receive large endowment  $W$  at  $t = 0$
- Low required return  $1/\beta_h < 1/\beta_l$  for debt defaulting with prob. less than  $\delta^*$
- High required return  $1/\epsilon \gg 1/\beta_l$  for debt riskier than  $\delta^*$

# Rational Expectations

- To cater to investors, intermediaries must manufacture debt whose default is less frequent than  $\delta^*$ . Issuance of  $N$  debt claims each promising one unit must respect the AAA constraint:

$$\int_0^N f(\tilde{X}) d\tilde{X} \leq \delta^*$$

- Given large investor wealth  $W$ , equilibrium price of each debt claim is:

$$p(N) = \beta_h \left[ 1 - \int_0^N \left( 1 - \frac{\tilde{X}}{N} \right) f(\tilde{X}) d\tilde{X} \right]$$

# Profit Maximization by Intermediary

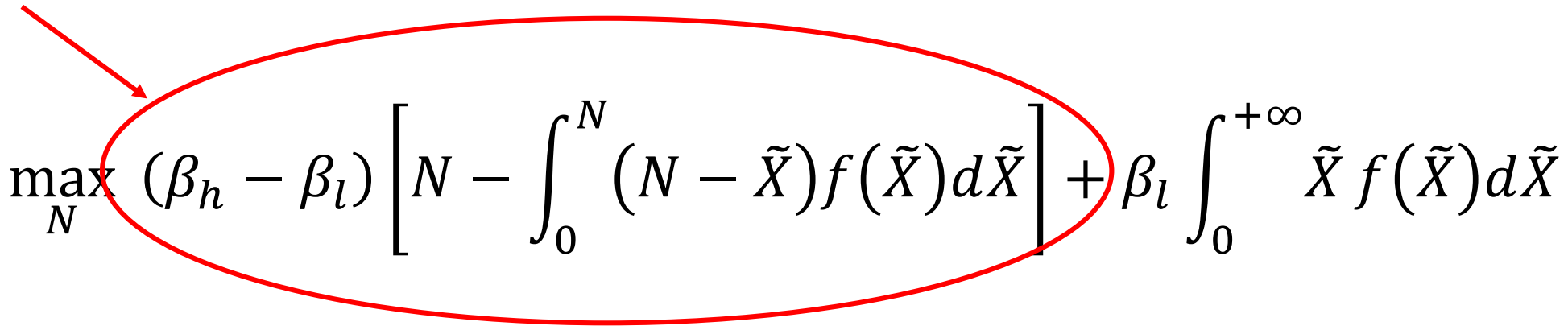
$$\max_N (\beta_h - \beta_l) \left[ N - \int_0^N (N - \tilde{X}) f(\tilde{X}) d\tilde{X} \right] + \beta_l \int_0^{+\infty} \tilde{X} f(\tilde{X}) d\tilde{X}$$

s.t.:

$$\int_0^N f(\tilde{X}) d\tilde{X} \leq \delta^*$$

# Profit Maximization by Intermediary

Profits from issuance of safe debt


$$\max_N (\beta_h - \beta_l) \left[ N - \int_0^N (N - \tilde{X}) f(\tilde{X}) d\tilde{X} \right] + \beta_l \int_0^{+\infty} \tilde{X} f(\tilde{X}) d\tilde{X}$$

s.t.:

$$\int_0^N f(\tilde{X}) d\tilde{X} \leq \delta^*$$



# Debt Issuance under Rational Expectations

- Equilibrium debt issuance  $N^*$ : binding AAA constraint

$$\int_0^{N^*} f(\tilde{X}) d\tilde{X} = \delta^*.$$

- Gains from trade are maximized

# Neglected Downside Risk

- **Definition** Agents neglect downside risk  $\underline{X}$  when their believed cash flow distribution  $f^\theta(\tilde{X})$  underestimates the tail to the left of  $\underline{X}$ :

$$\int_0^X f^\theta(\tilde{X})d\tilde{X} < \int_0^X f(\tilde{X})d\tilde{X}, \quad \text{for all } X \leq \underline{X}.$$

- For  $\underline{X} \rightarrow \infty$  this coincides with FOSD

# Neglected risk and Debt Issuance

- Under neglected risk, equilibrium debt issuance  $N^\theta$ , where:

$$\int_0^{N^\theta} f^\theta(\tilde{X}) d\tilde{X} = \delta^*$$

⇒ If risk neglect is severe enough,  $\underline{X} > N^*$ , debt issuance expands relative to rational expectations, namely  $N^\theta > N^*$

# Neglected Risk and Financial Fragility

- Due to over-issuance of debt, the true riskiness of bonds is above investors' tolerance level

$$\Pr(\tilde{X} < N^\theta) = \delta^* + \int_{N^*}^{N^\theta} f(\tilde{X}) d\tilde{X}$$

- Fragility: endogenous response of safe debt issuance to risk neglect
- What happens if neglect of risk disappears and market participants' beliefs get corrected from  $f^\theta(\tilde{X})$  to the true density  $f(\tilde{X})$ ?

# Secondary Markets

- Investors' reservation value for the debt they own collapses to:

$$p_{inv}^{crisis} = \epsilon \left[ 1 - \int_0^{N^\theta} \left( 1 - \frac{\tilde{X}}{N^\theta} \right) f(\tilde{X}) d\tilde{X} \right]$$

- Intermediaries' reservation value for the same debt:

$$p_{int}^{crisis} = \beta_l \left[ 1 - \int_0^{N^\theta} \left( 1 - \frac{\tilde{X}}{N^\theta} \right) f(\tilde{X}) d\tilde{X} \right]$$

- How much wealth have intermediaries carried over from  $t = 0$ ?

# Fire Sales and Risk Misallocation

- Denote by  $E$  the wealth that intermediaries have carried over from  $t = 0$ 
  - i) If  $E \geq p_{inv}^{crisis} * N^\theta$ , intermediaries buy back all debt, whose equilibrium price may be equal to  $p_{int}^{crisis}$ .
  - ii) If  $E < p_{inv}^{crisis} * N^\theta$ , the price of debt collapses to  $p_{inv}^{crisis}$  and investors are stuck with some risky debt

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In ii) there is a crisis with depressed prices and a socially costly risk misallocation

Neglected Risk



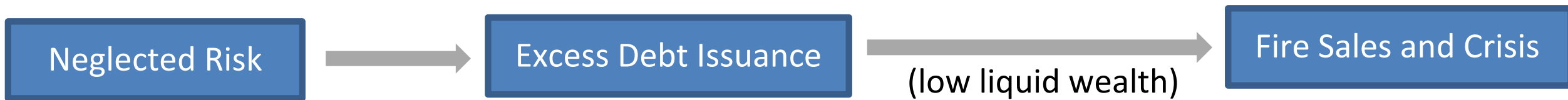
Excess Debt Issuance



(low liquid wealth)

Fire Sales and Crisis





Need that intermediaries have no liquid wealth in the interim period

# Assets and Liabilities

- So far, we only considered bank liabilities. But bank assets are crucial. Invest in risky loans or keep some cash?
- Investment  $I$  in loans is transformed into cash flow  $\tilde{A}q(I)$  at  $t = 1$ .
- $\tilde{A}$  is distributed according to  $h(\tilde{A})$ . Neglected risk is  $h^\theta(\tilde{A})$  that satisfies previous definition.
- Bank finances  $I$  with bond sales  $pN$  but can keep  $pN - I$  in cash

# Optimal Lending and Debt Issuance

- Now debt is repaid in full provided  $N < \tilde{A}q(I)$  or equivalently  $\tilde{A} > N/q(I)$ :

$$\max_{N,I} (\beta_h - \beta_l) \left[ N - \int_0^{\frac{N}{q(I)}} (N - \tilde{A}q(I)) h^\theta(\tilde{A}) d\tilde{A} \right] + \beta_l q(I) \int_0^{+\infty} \tilde{A} h^\theta(\tilde{A}) d\tilde{A} - I.$$

s.t.:

$$\int_0^{\frac{N}{q(I)}} h^\theta(\tilde{A}) d\tilde{A} \leq \delta^*$$

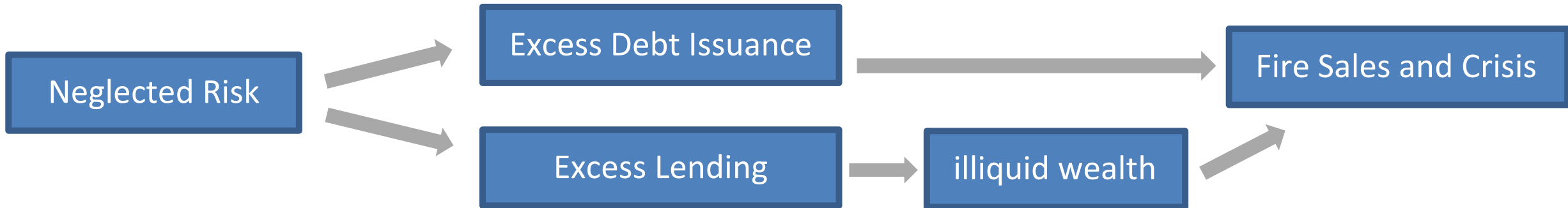
$$p(N, I)N - I \geq 0$$

# Optimal Lending and Debt Issuance

- At the optimum:
  - The AAA constraint is binding
  - If expected productivity  $\int_0^\infty \tilde{A} h^\theta(\tilde{A}) d\tilde{A}$  is high enough, the intermediary invests everything, namely  $I^\theta = p(N^\theta, I^\theta) N^\theta$

$$q'(I^\theta) \left[ (\beta_h - \beta_l) \left( \int_0^{A^\theta} \tilde{A} h^\theta(\tilde{A}) d\tilde{A} + A^\theta \delta^* \right) + \beta_l \int_0^{+\infty} \tilde{A} h^\theta(\tilde{A}) d\tilde{A} \right]$$

Due to excess-optimism, banks keep their assets illiquid.



# Securitization: Pooling and Tranching

- Thus far, we left out this aspect. To introduce it, just need to allow for idiosyncratic risk in bank-level cash flows:

$$\tilde{X}_i = \tilde{X}\epsilon_i,$$

- $\tilde{X}$  systematic risk distributed according to  $f(\tilde{X})$
  - $\epsilon_i$  is i.i.d in  $[\underline{\epsilon}, \bar{\epsilon}]$  with pdf  $g(\epsilon)$  featuring  $\int \epsilon g(\epsilon) d\epsilon = 1$
- And to assume that each bank  $i$  can sell a share  $\alpha_i$  of own cash flow and buy a diversified pool of  $\alpha_i$  cash flows from all banks

# The Effect of Idiosyncratic Bank Risk

**Lemma 1** *If the density  $f(\tilde{X})$  of the common cash flow factor  $\tilde{X}$  decreases toward the left tail, then idiosyncratic risk induces a fatter left tail.*

- As a result, idiosyncratic risk reduces issuance along the AAA constraint:

$$\int_0^{N_i^\theta} f_i^\theta(\tilde{X}) d\tilde{X} = \delta^*$$

$N_i^\theta < N^\theta$ , the level prevailing without idiosyncratic risk

# Pooling of Risks and Debt Issuance

- If the intermediary sells share  $\alpha_i$  of cash flow and buys the same amount of a diversified pool, its cash flow becomes:

$$\tilde{X}_i(\alpha_i) = (1 - \alpha_i)\tilde{X}\epsilon_i + \alpha_i\tilde{X} = \tilde{X}[1 + (1 - \alpha_i)(\epsilon_i - 1)]$$

- In equilibrium banks sell their entire cash flow and diversify  $\alpha_i = 1$
- The equilibrium debt issuance is  $N^\theta$ , which is the same prevailing in the absence of idiosyncratic risk

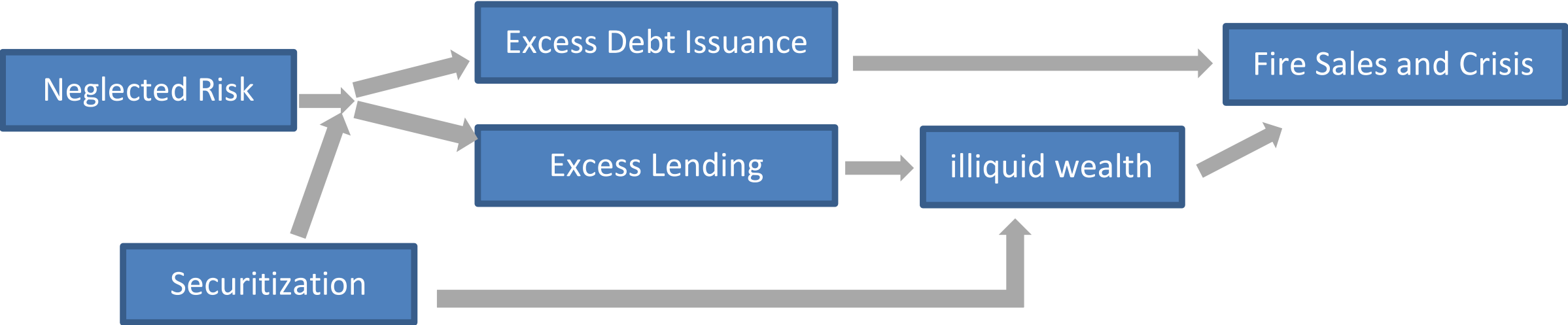


# Pooling and Financial Fragility

- **Proposition 5** *Under some technical conditions, cash flow pooling boosts over-issuance:*

$$N^\theta - N^* \Big|_{\text{pooling}} > N^\theta - N^* \Big|_{\text{no pooling}} .$$

- Combination of insurance and safe debt issuance greatly expands the financial sector. Diversification myth.



# To Conclude

- Important feature of the recent financial crisis: neglect of the possibility that banks could incur large losses
- In the presence of risk neglect, beneficial mechanisms like pooling and tranching cause overexpansion, becoming a source of fragility

# Takeaways

- The psychology of beliefs is promising to think about financial instability, evidence of systematic errors also in other domains/episodes
- In ongoing work, we are developing psychologically founded models of non-rational beliefs
- Explore the interaction of non-rational beliefs with financial contracts, markets, and regulation